

How much work experience do you need to get your first job?

The macroeconomic implications of bias against labor market entrants

Shisham Adhikari¹ Athanasios Geromichalos² Ateş Gürsoy³
Ioannis Kospentaris⁴

November 15, 2024

University of Ottawa

¹ University of California - Davis; email: shadhikari@ucdavis.edu

² University of California - Davis; email: ageromich@ucdavis.edu

³ University of California - Davis; email: agursoy@ucdavis.edu

⁴ Athens University of Economics and Business; email: ikospentaris@aueb.gr

Motivation I

A vicious circle (meme found in social media)...

life after college



Motivation II

- The first step in a worker's career often is particularly hard
 - ▶ Job-finding rate for entrants is roughly half of the other unemployed JFRs
 - ▶ 35% of entry level positions posted since 2017 on LinkedIn require minimum three years of experience
 - ▶ 43% of college graduates start their career with a job that does not require a college degree
- *All* workers in the economy begin their career as labor market entrants
- Large literature documents that early-career shocks have long-lasting effects (von Wachter, 2020)
- Questions:
 1. What are the aggregate implications of firms' preference for experienced workers?
 2. Is there room for welfare-improving government interventions?

What we do

- Build a DMP model with entrants and experienced workers
 - ▶ Firms that hire new workers have to incur training expenses
 - ▶ New workers who stay unemployed for an extended time period suffer skill loss
- **Ranking:** firms prefer hiring experienced over new workers to avoid training costs
- **Trade off:** the bias against new workers increases their unemployment duration and persistently lowers their productivity due to skill loss
- Use a calibrated version of the model to quantitatively study various governments interventions/labor market institutions

What we find

- Four interventions
 - ▶ Ranking ban
 - ▶ Government subsidizes training costs from tax revenues
 - ▶ Internships: exogenous wages for entrants
 - ▶ Government subsidizes hiring of entrants only
- Ranking equilibrium features lower welfare than all interventions
 - ▶ Interventions increase aggregate unemployment and make firms incur larger training costs
 - ▶ Still higher welfare because they lower entrant's unemployment and save them from persistent skill losses
- Internships are welfare-enhancing
 - ▶ Exact effect depends on the magnitude of the exogenous wage
 - ▶ Inverse U-shape with max welfare at 85% of experienced workers' wage
- Government subsidy of entrants' hiring has the largest welfare gains
 - ▶ Directly confronts the issue of entrants' long unemployment duration
 - ▶ Rationalizes policies that explicitly target young workers (e.g., Youth Employment Initiative)

Literature

- **Skill loss in unemployment:** Pissarides (1992); Ljungqvist and Sargent (1998); Coles and Masters (2000); Ortego Marti (2016, 2017); Flemming (2020); Kospentaris (2021); Laureys (2021); Walentin and Westermarck (2022); Baley, Ljungqvist and Sargent (2022)
- **Ranking:** Lockwood (1991); Blanchard and Diamond (1994); Petrongolo and Pissarides (2001); Gonzalez and Shi (2010); Pallais (2014); Fernandez-Blanco and Preugschat (2018); Doppelt (2016); Jarosch and Pilossoph (2019)
- **Training and Institutions:** Becker (1964); Acemoglu and Pischke (1998, 1999); Autor (2001); Leuven (2005); Boeri (2011); Masui (2022)

The model

- Continuous time, infinite horizon; discount rate r
- Labor force is normalized to 1, homogeneous workers
- Workers retire (exit) at Poisson rate δ ;
 - ▶ a retired worker is immediately replaced by a new worker (an inexperienced entrant)
- New workers enter the labor market as unemployed
- A large number of homogeneous firms
 - ▶ measure of active firms determined by free entry

Entry, production, unemployment benefits

- Firms open one vacancy and search for workers; workers search for firms
- Firms pay a standard entry or recruiting cost c
- Existing jobs get terminated at the job destruction rate λ
- All matches produce an amount p of the numeraire good
- Workers and firms negotiate over the wage
 - ▶ Nash Bargaining where η denotes the bargaining power of the worker
- Unemployed workers enjoy an unemployment benefit $z < p$

Bias against new workers

- The “story” here is that new/inexperienced workers must be trained to become *productive workers*
- Firms that hire them first must pay flow training cost κ until the match dissolves
 - ▶ After losing their first job workers become experienced
- Firms prefer trained to untrained: Petrongolo-Pissarides (2001) generalization of the Blanchard-Diamond (1994) matching process with bias
- Similar to the outcome of an urn-ball process
 - ▶ A firm receiving multiple applications chooses experienced over inexperienced
 - ▶ But a firm receiving applications only from inexperienced workers will hire one

Bias against new workers: “matching with ranking”

- What does it mean that “firms are biased against inexperienced workers”?
 - ▶ (And even more biased against inexperienced workers who have suffered skill loss?)
- Matching with ranking; the matching rate for experienced workers is

$$f_1 = \frac{m(u_1, v)}{u_1}$$

- The matching rate for inexperienced workers is

$$f_0 = \frac{m(u_0 + u_1, v) - m(u_1, v)}{u_0}$$

- It's like type 1 workers “move first”; only then type 0 workers get a chance
- In our model the heterogeneity is richer (4 unemployed types)
 - ▶ But this simple idea can be applied to as many types as one likes

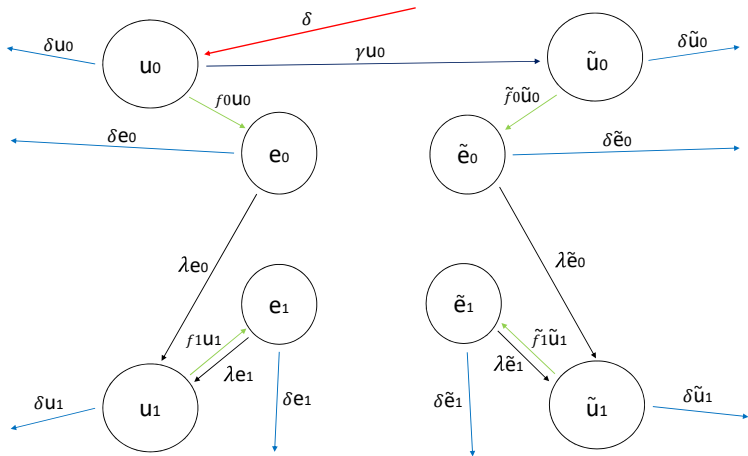
Skill loss and types of workers in the various states

- A new worker who stays unemployed for a long time is at risk of skill loss
 - ▶ This happens at rate γ
- The productivity of workers who have suffered skill loss decreases by $\tilde{\kappa}$
- $2^3 = 8$ worker types: employed vs unemployed, experienced vs inexperienced, scarred vs non-scarred
 - ▶ u_0 : Inexperienced Unemployed
 - ▶ \tilde{u}_0 : Inexperienced Unemployed who has also suffered skill loss
 - ▶ e_1 : Experienced Employed
 - ▶ \tilde{e}_1 : Experienced Employed who suffered skill loss during youth
 - ▶ And so on

Quick comment on notation

- The previous notation applies to other variables too
 - ▶ $\{0, 1\}$ refers to experience; “tilde” means skill loss
- E.g., \tilde{f}_0 is the job finding rate of an inexperienced worker who suffered skill loss
- \tilde{f}_1 is the job finding rate of an experienced worker who suffered skill loss at youth
- w_0 is the wage of an inexperienced worker (without skill loss)
- u_1 is the measure of experienced (non-scarred) unemployed workers
- And so on...

Employment states



Beveridge curves

Equating inflows and outflows:

$$u_0 = \frac{\delta}{\delta + \gamma + f_0}$$

$$\tilde{u}_0 = \frac{\gamma}{\delta + \tilde{f}_0} \cdot \frac{\delta}{\delta + \gamma + f_0}$$

$$e_0 = \frac{f_0}{\delta + \lambda} \cdot \frac{\delta}{\delta + \gamma + f_0}$$

$$\tilde{e}_0 = \frac{\tilde{f}_0}{\delta + \lambda} \cdot \frac{\gamma}{\delta + \tilde{f}_0} \cdot \frac{\delta}{\delta + \gamma + f_0}$$

$$u_1 = \frac{\lambda f_0}{(\gamma + \delta + f_0)(\delta + \lambda + f_1)}$$

$$e_1 = \frac{f_1}{\delta + \lambda} \cdot \frac{\lambda f_0}{(\gamma + \delta + f_0)(\delta + \lambda + f_1)}$$

$$\tilde{u}_1 = \frac{\lambda \gamma \tilde{f}_0}{(\delta + \tilde{f}_0)(\gamma + \delta + f_0)(\delta + \lambda + \tilde{f}_1)}$$

$$\tilde{e}_1 = \frac{\tilde{f}_1 \lambda \gamma \tilde{f}_0}{(\delta + \lambda)(\delta + \tilde{f}_0)(\gamma + \delta + f_0)(\delta + \lambda + \tilde{f}_1)}$$

Firms' value functions

- Free Entry/ Job Creation:

$$c = q_0 J_0 + \tilde{q}_0 \tilde{J}_0 + q_1 J_1 + \tilde{q}_1 \tilde{J}_1$$

- Values of employing different workers

$$r J_0 = p - \kappa - w_0 - (\lambda + \delta) J_0$$

$$r \tilde{J}_0 = p - \kappa - \tilde{\kappa} - \tilde{w}_0 - (\lambda + \delta) \tilde{J}_0$$

$$r J_1 = p - w_1 - (\lambda + \delta) J_1$$

$$r \tilde{J}_1 = p - \tilde{\kappa} - \tilde{w}_1 - (\lambda + \delta) \tilde{J}_1$$

Workers' value functions

- Employed

$$rW_0 = w_0 + \lambda(U_1 - W_0) - \delta W_0$$

$$rW_1 = w_1 + \lambda(U_1 - W_1) - \delta W_1$$

$$r\tilde{W}_0 = \tilde{w}_0 + \lambda(\tilde{U}_1 - \tilde{W}_0) - \delta \tilde{W}_0$$

$$r\tilde{W}_1 = \tilde{w}_1 + \lambda(\tilde{U}_1 - \tilde{W}_1) - \delta \tilde{W}_1$$

- Unemployed

$$rU_0 = z + f_0(W_0 - U_0) + \gamma(\tilde{U}_0 - U_0) - \delta U_0$$

$$r\tilde{U}_0 = z + \tilde{f}_0(\tilde{W}_0 - \tilde{U}_0) - \delta \tilde{U}_0$$

$$rU_1 = z + f_1(W_1 - U_1) - \delta U_1$$

$$r\tilde{U}_1 = z + \tilde{f}_1(\tilde{W}_1 - \tilde{U}_1) - \delta \tilde{U}_1$$

Bargaining I

- Bargaining in type 1 meeting

$$(1 - \eta)(W_1 - U_1) = \eta J_1 \implies w_1 = \frac{\eta p(r + \lambda + \delta + f_1) + (1 - \eta)z(r + \lambda + \delta)}{r + \lambda + \delta + \eta f_1}$$

- Bargaining in type $\tilde{1}$ meeting

$$(1 - \eta)(\tilde{W}_1 - \tilde{U}_1) = \eta \tilde{J}_1 \implies \tilde{w}_1 = \frac{\eta(p - \tilde{\kappa})(r + \lambda + \delta + \tilde{f}_1) + (1 - \eta)z(r + \lambda + \delta)}{r + \lambda + \delta + \eta \tilde{f}_1}$$

- Bargaining in type $\tilde{0}$ meeting

$$(1 - \eta)(\tilde{W}_0 - \tilde{U}_0) = \eta \tilde{J}_0 \implies \tilde{w}_0 = \frac{1}{r + \delta + \eta \tilde{f}_0} \left[\eta(p - \kappa - \tilde{\kappa})(r + \delta + \tilde{f}_0) + (1 - \eta)z \frac{(r + \delta + \lambda)(r + \delta + \tilde{f}_1)}{r + \delta + \lambda + \tilde{f}_1} - \frac{\lambda(1 - \eta)\tilde{f}_1}{r + \delta + \lambda + \tilde{f}_1} \tilde{w}_1 \right]$$

Bargaining II

- Bargaining in type 0 meeting

$$\begin{aligned}(1 - \eta)(W_0 - U_0) = \eta J_0 \implies w_0 = & \frac{r + \delta + \gamma + f_0}{r + \delta + \gamma + \eta f_0} \eta(p - \kappa) + \\ & + \frac{(r + \lambda + \delta)(r + f_1 + \delta)(r + \gamma + \delta)}{(r + \delta)(r + \delta + \gamma + \eta f_0)(r + \lambda + \delta + f_1)} (1 - \eta)z + \\ & + \frac{\gamma \tilde{f}_0}{(r + \delta)(r + \delta + \gamma + \eta f_0)} \eta(p - \kappa - \tilde{\kappa} - \tilde{w}_0) - \\ & - \frac{(1 - \eta)\lambda f_1(r + \gamma + \delta)w_1}{(r + \delta)(r + \delta + \gamma + \eta f_0)(r + \lambda + \delta + f_1)}\end{aligned}$$

- Notice that w_1 enters negatively: new workers are willing to accept a lower wage to get access to their first job and a higher continuation value

Early-career skill loss

- Initial labor market conditions have persistent effects on young adults' earnings for 10-15 years (von Wachter, 2020)
- Two recent studies focus on new workers:
 - ▶ Arellano-Bover (2022): workers who faced higher unemployment rates at ages 18 to 25 have lower skills at ages 36 to 59
 - ▶ Dinerstein, Megalokonomou and Yannelis (2022): show negative effects of the length of unemployment on teachers' performance measured by students' test scores
- To translate this into wages we use Ortego Marti's (2016, 2017) estimates assuming $\gamma = 1/6$

More data

- Monthly CPS data 1994-2020
 - ▶ Average unemployment rate: 5.8%
 - ▶ Fraction of entrants in the unemployment pool: 9%
 - ▶ Fraction of LTU in the entrant pool: 28%
- Various surveys for training costs
 - ▶ Training Industry Report: \$1,075 in 2017, \$1,071 in 2021
 - ▶ Association for talent development: \$1,252 in 2016
 - ▶ Masui (2022) calibrates them at a value comparable to vacancy costs
- We set a target of \$1,000 2017 dollars which results in 0.8% of GDP
 - ▶ Vacancy costs are estimated 1-2% of GDP in the literature
- Finally, we use Hall and Milgrom's (2008) 71% for $z/\mathbb{E}(p)$ (midpoint of Chodorow-Reich and Karabarbounis, 2016)

Parameter values

Parameter	Description	Value
p	Productivity	1
r	Interest Rate	0.0042
α	Matching Elasticity	0.72
η	Worker Bargaining Power	0.72
γ	Skill Loss Rate	1/6
δ	Worker Exit Rate	0.0023
λ	Separation Rate	0.0341
c	Vacancy Cost	1.71
z	Unemployment Value	0.65
κ	Training Cost	0.11
$\tilde{\kappa}$	Skill Loss Scar	0.07

Policy interventions

1. Ranking is not allowed by government regulation
 - ▶ Standard DMP with heterogeneous workers in a common labor market
2. Government subsidizes firms to cover for training costs and skill loss
 - ▶ Government takes away τ from all matches
 - ▶ Firms are indifferent between workers
3. Internships: new workers are paid an exogenous wage
 - ▶ Ranking is not allowed
 - ▶ Fix $\tilde{w}_0 = z$ and compute the effects of different w_0
4. Government subsidizes firms enough to prefer entrants
 - ▶ Subsidy $\sigma_0 = \kappa(1 + \rho)$ to every firm that hires a type-0 worker
 - ▶ Flat tax $\tau = \kappa(1 + \rho)e_0/e$

Welfare = aggregate surplus - vacancy costs

Short- vs Long-run Productivity trade off: less hires of new workers \Rightarrow more matches without training costs but greater skill loss for entrants

Baseline economy with ranking

- Welfare level is 0.9398
- Unemployment rate is 5.8%
- Job finding rates
 - ▶ $\tilde{f}_0 = 0.42$
 - ▶ $f_0 = 0.43$
 - ▶ $\tilde{f}_1 = 0.46$
 - ▶ $f_1 = 0.69$
- Wages
 - ▶ $\tilde{w}_0 = 0.82$
 - ▶ $w_0 = 0.66$ (non-scarred workers accept lower wages to get out of the bad state)
 - ▶ $\tilde{w}_1 = 0.92$
 - ▶ $w_1 = 0.99$

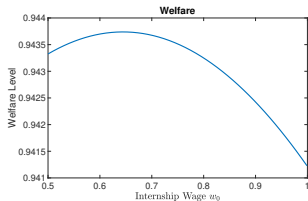
Intervention 1: Ranking ban

- Welfare level is 0.9433 (from 0.9398); firms rank too much!
- Unemployment rate is 6.9% (from 5.8%)
- Job finding rate is the same for all workers: $f = 0.49$
 - ▶ Increases for all workers other than the experienced ones without scar
- Wages
 - ▶ $\tilde{w}_0 = 0.81$
 - ▶ $w_0 = 0.84$ (big winners)
 - ▶ $\tilde{w}_1 = 0.92$
 - ▶ $w_1 = 0.99$
- Economics: we “force” firms to incur larger training costs
 - ▶ less entry \Rightarrow aggregate unemployment increases
 - ▶ more matches with inexperienced workers \Rightarrow short-run productivity decreases
 - ▶ in general equilibrium, however, welfare is higher!
 - ▶ entrants’ unemployment duration is shorter \Rightarrow less likely to suffer skill loss

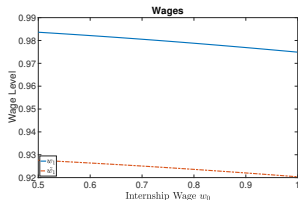
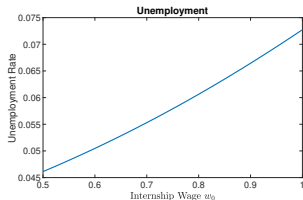
Intervention 2: Government subsidies

- Welfare level is 0.9427; not as effective as ranking ban
- Unemployment rate is 7.2% (an even greater increase)
- Job finding rate is the same for all workers: $f = 0.47$
 - ▶ Increases for all workers other than the experienced ones without scar
- Wage is the same for all workers: $w = 0.96$
 - ▶ Increases for all workers other than the experienced ones without scar
- Same economics as the government ban
 - ▶ The model that bans ranking delivers higher welfare
 - ▶ It avoids the use of additional distortionary taxes

Intervention 3: Internships



- $\tilde{w}_0 = z$
- Welfare always greater than ranking, max at 0.9437 with $w_0 = 0.82$
- Too low $w_0 \Rightarrow$ entrants too cheap, large training and vacancy costs
- Too high $w_0 \Rightarrow$ back to main channel, large skill losses



Intervention 4: Type-0 Bias

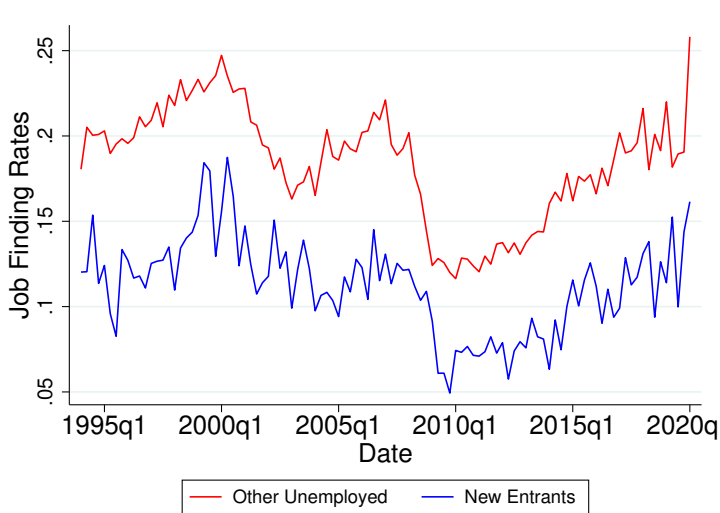
- Welfare level is 0.9531: 1.42% increase, three times more effective than internships!
- Unemployment rate is 6.52% (in between internships and other interventions)
- Raises f_0 almost four times: directly confronts the issue of entrants' long unemployment duration
- Youth Employment Initiative: €8.9 billion program (2014-2020) to directly finance young workers' apprenticeships, traineeships, job placements, and further education within 4 months of leaving school or becoming unemployed
- Based on our results, interventions of this kind are expected to have positive welfare gains even if they raise aggregate unemployment

Conclusion

- Built a DMP model with entrants and experienced workers to study the implications of firms' preference for experienced workers
- In the model, firms who hire entrants provide a public service but are not compensated for it
 - ▶ Hence, they rank experienced over new workers
- **Trade off:** more experienced hires have lower training costs and larger match surplus but increase entrants' unemployment duration leading to larger skill losses
- We evaluated four interventions with the calibrated model
 - ▶ Ranking ban, government subsidies, internships, type-0 bias
 - ▶ Ranking equilibrium has lower welfare than all government interventions
 - ▶ Internships are welfare-enhancing; optimal entrant wages at intermediate levels
 - ▶ Type-0 bias delivers the largest welfare gains

Thank you!

Job Finding Rates Workers 16-64



Job Finding Rates Workers 16-24

